

## Note on Homework 7

5.1 Follow the algorithm, and compute  $(|00\rangle(-1)^{f(00)} + \dots + |11\rangle(-1)^{f(11)})(|0\rangle - |1\rangle)$ .

5.2 Again follow the algorithm and verify the result.

6.1 Let  $|v\rangle = (\tilde{f}(0), \dots, \tilde{f}(N-1))^t$ , and  $|u\rangle = (f(0), \dots, f(N-1))^t$ . Then ...

6.2 May see the hint at the end of the book and write down the solution clearly.

6.3 Work on the  $n = 2, 3$  case carefully, and argue that cancellation will occur except at the  $|x\rangle$  with  $x = 0, \dots, (P-1)2^n/P$ .

Note that if we get  $k_1 2^n/P$  and  $k_2 2^n/P$  for  $k_1, k_2$  of different parities, we can decide  $2^n/P$  and hence  $P$ .

6.4 Use the fact that  $U_{QFT_n}$  is symmetric.